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# Low-fidelity MCNP Integral Experiment Model Optimization

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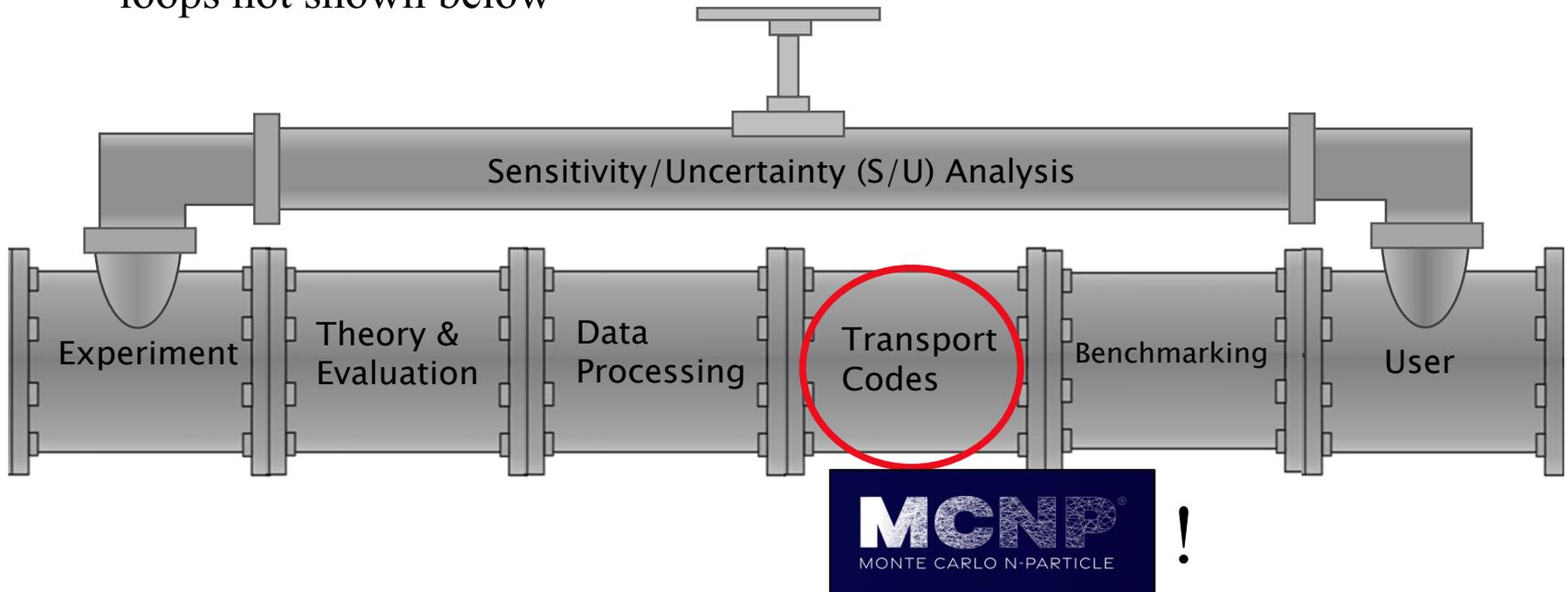
Materials and Physical Data Group (XCP-5)  
Los Alamos National Laboratory

2024 MCNP<sup>®</sup> User Symposium

LA-UR-24-XXXXX

# Nuclear Data Pipeline

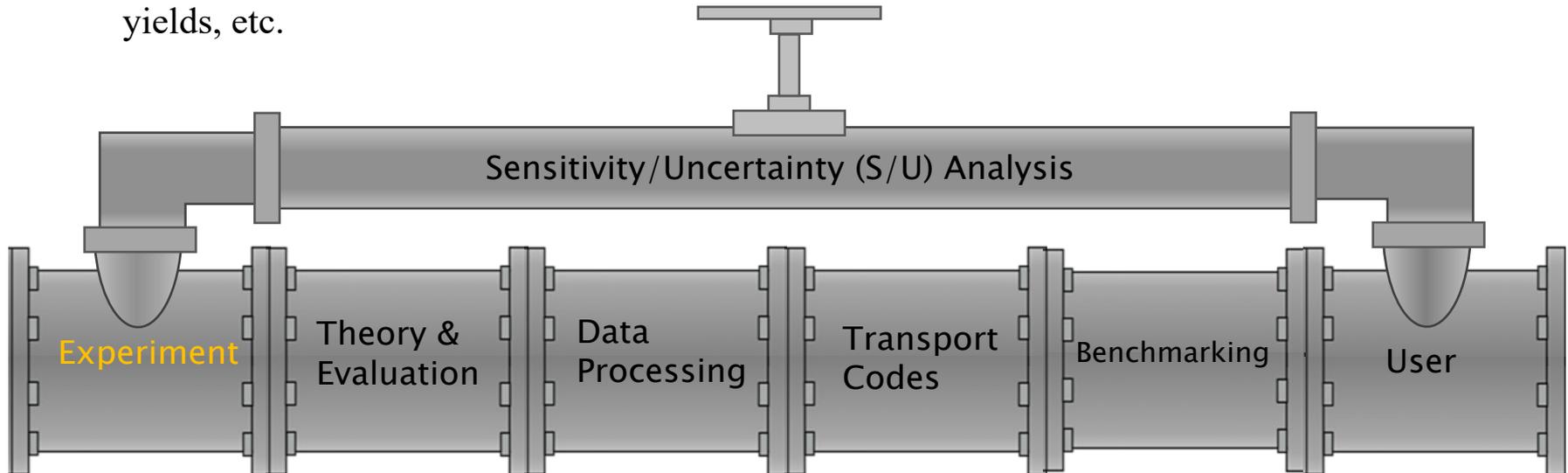
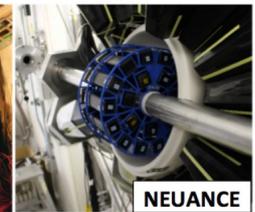
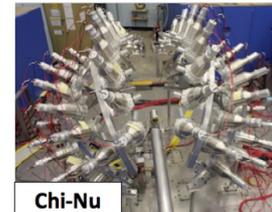
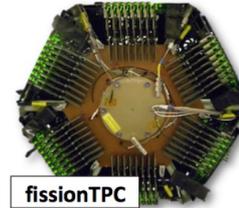
- The nuclear data pipeline is a visualization of the process of how measured and theorized quantities are verified, validated, and processed into a format accessible to nuclear data users
- United States nuclear data library ENDF/B-I was released in June 1968!
- Many tools and approaches have been developed to traverse the pipeline in the most efficient way possible – this process involves many feedback loops not shown below



# Nuclear Data Pipeline: Experiment

- Experimental measurements are used to constrain nuclear data uncertainties as much as possible and test evaluated files in our physics codes
- Measurement types:
  1. Differential
  2. Integral
- **Differential measurements** include neutron cross section measurements as a function of incident neutron energy, capture gamma cascades, fission fragment yields, etc.

## Los Alamos Neutron Science Center (LANSCE)



# Nuclear Data Pipeline: Experiment

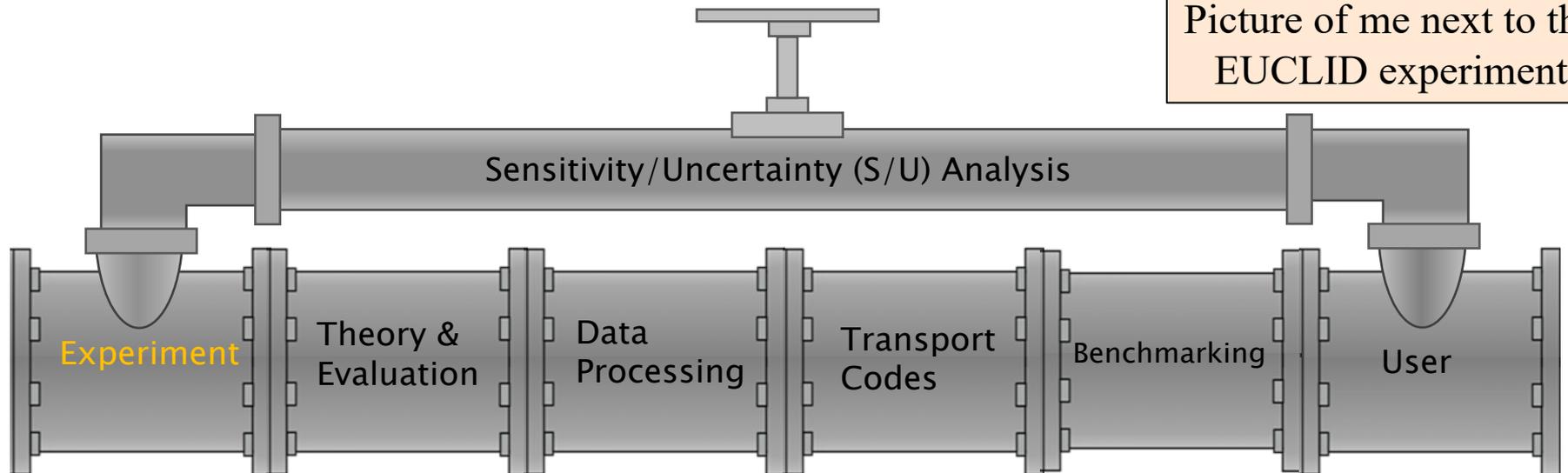
- Measurement types:
  1. Differential
  2. Integral
- **Integral measurements** include nuclear criticality experiments (measure multiplication of the system to infer effective neutron multiplication factor  $k_{\text{eff}}$ ) and shielding measurements



National Criticality Experiments Research Center (NCERC)



Picture of me next to the EUCLID experiment



# Nuclear Criticality Experiments

- The National Criticality Experiments Research Center (NCERC) is the only general-purpose criticality experiments facility in the United States
- 4 Critical Assembly Machines:

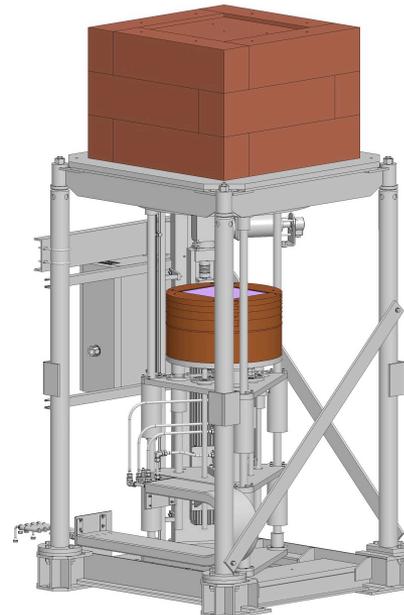
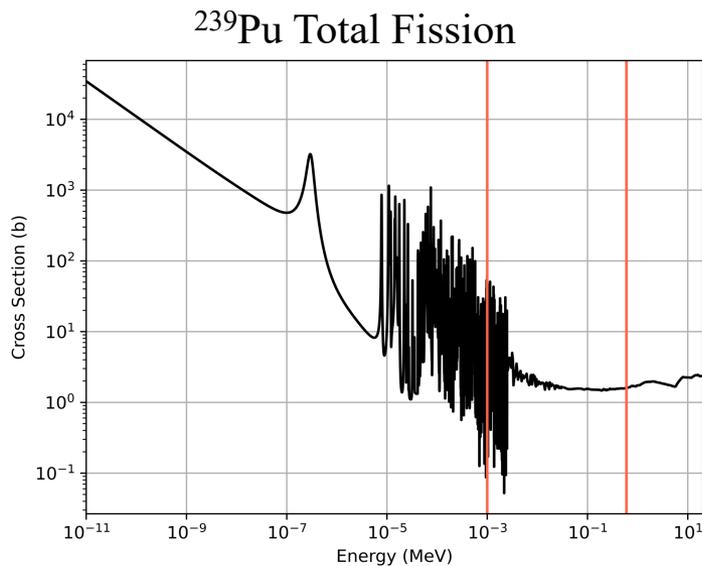


# PARADIGM Project

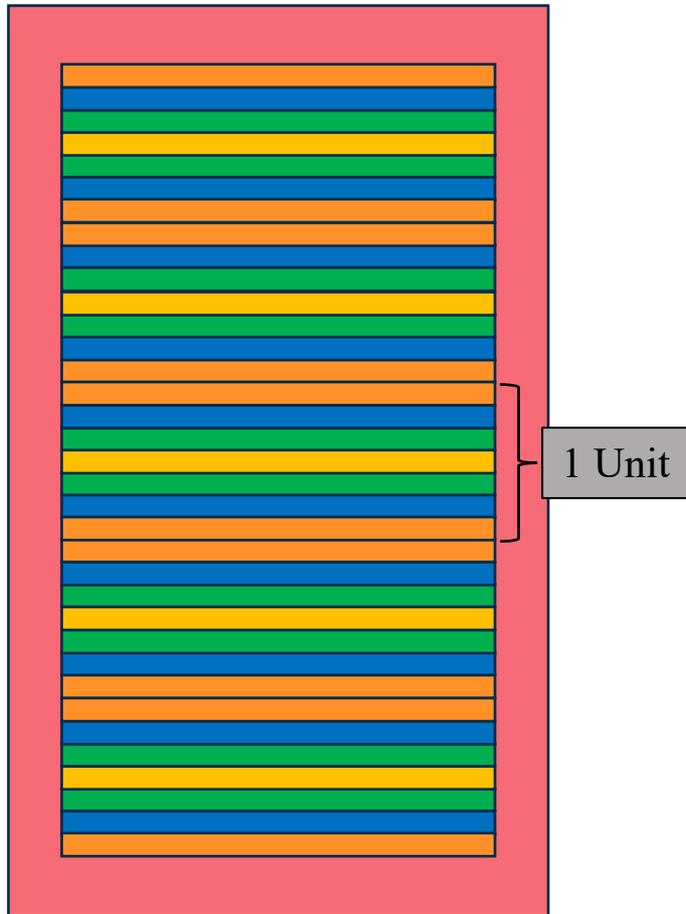
- PARADIGM stands for PARallel Approach of Differential and InteGral Measurements

**Goal:** Reduce  $^{239}\text{Pu}$  nuclear data uncertainty in the intermediate-energy range using new nuclear data theory, differential measurements, integral measurements, and statistical analysis

- Simultaneous design of criticality experiment, normally referred to as an “integral experiment,” and differential measurement using machine learning decreases amount of time for initial steps of nuclear data pipeline
- “Intermediate-energy range” is normally defined in textbooks from  $\sim 1$  eV to 100 keV – the energy range of interest for this work is focused specifically on 1 keV to 600 keV
- The work in this talk will focus on optimization of integral experiment design



# Low-fidelity MCNP Model



## Modeling Approach:

- (1) Define a unit of materials, geometry (e.g., rectangular/cylindrical), reflector, and total number of units  $N$
- (2) Set up cell and surface cards for 1 unit and then repeat  $N$  times – RPP/RCC Surface Cards
- (3) Determine fuel regions for KSRC points ( $k$ -eigenvalue calculation)
- (4) Set up data cards (i.e., KCODE, KSRC, KOPTS, tally cards, KSEN)

### 5.3.4.2 RPP: Rectangular Parallelepiped

RPP  $xmin\ xmax\ ymin\ ymax\ zmin\ zmax$

$xmin\ xmax$	Termini of box sides normal to the $x$ axis.
$ymin\ ymax$	Termini of box sides normal to the $y$ axis.
$zmin\ zmax$	Termini of box sides normal to the $z$ axis.

### 5.3.4.4 RCC: Right Circular Cylinder

RCC  $vx\ vy\ vz\ h1\ h2\ h3\ r$

$vx\ vy\ vz$	The $(x, y, z)$ coordinates at the center of the base for the right circular cylinder.
$h1\ h2\ h3$	Right circular cylinder axis vector, which provides both the orientation and the height of the cylinder.
$r$	Radius of cylinder.

# Low-fidelity MCNP Model

```
c
c CELL Cards
c
1 11 -3.97 -100 imp:n=1
2 13 -1.7 -101 imp:n=1
3 19 -2.37 -102 imp:n=1
4 90 -15.1435 -103 imp:n=1
5 19 -2.37 -104 imp:n=1
6 13 -1.7 -105 imp:n=1
7 11 -3.97 -106 imp:n=1
8 11 -3.97 -107 imp:n=1
9 13 -1.7 -108 imp:n=1
10 19 -2.37 -109 imp:n=1
11 90 -15.1435 -110 imp:n=1
12 19 -2.37 -111 imp:n=1
13 13 -1.7 -112 imp:n=1
14 11 -3.97 -113 imp:n=1
15 11 -3.97 -114 imp:n=1
16 13 -1.7 -115 imp:n=1
17 19 -2.37 -116 imp:n=1
18 90 -15.1435 -117 imp:n=1
19 19 -2.37 -118 imp:n=1
20 13 -1.7 -119 imp:n=1
21 11 -3.97 -120 imp:n=1
22 11 -3.97 -121 imp:n=1
23 13 -1.7 -122 imp:n=1
24 19 -2.37 -123 imp:n=1
25 90 -15.1435 -124 imp:n=1
26 19 -2.37 -125 imp:n=1
27 13 -1.7 -126 imp:n=1
28 11 -3.97 -127 imp:n=1
29 11 -3.97 -128 imp:n=1
30 13 -1.7 -129 imp:n=1
31 19 -2.37 -130 imp:n=1
32 90 -15.1435 -131 imp:n=1
33 19 -2.37 -132 imp:n=1
34 13 -1.7 -133 imp:n=1
35 11 -3.97 -134 imp:n=1
36 11 -3.97 -135 imp:n=1
37 13 -1.7 -136 imp:n=1
38 19 -2.37 -137 imp:n=1
39 90 -15.1435 -138 imp:n=1
```

...

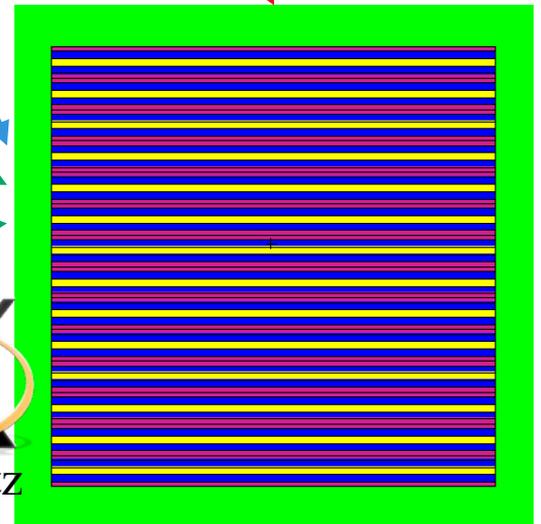
```
96 19 -2.37 -195 imp:n=1
97 13 -1.7 -196 imp:n=1
98 11 -3.97 -197 imp:n=1
99 1018 -8.96 -198
+100 +101 +102 +103 +104 +105 +106 +107 +108 +109
+110 +111 +112 +113 +114 +115 +116 +117 +118 +119
+120 +121 +122 +123 +124 +125 +126 +127 +128 +129
+130 +131 +132 +133 +134 +135 +136 +137 +138 +139
+140 +141 +142 +143 +144 +145 +146 +147 +148 +149
+150 +151 +152 +153 +154 +155 +156 +157 +158 +159
+160 +161 +162 +163 +164 +165 +166 +167 +168 +169
+170 +171 +172 +173 +174 +175 +176 +177 +178 +179
+180 +181 +182 +183 +184 +185 +186 +187 +188 +189
+190 +191 +192 +193 +194 +195 +196 +197 imp:n=1
100 0 +198 imp:n=0
```

```
c
c SURFACE Cards
c
100 rpp 0 30.48 0 25.4 0 1.2753
101 rpp 0 30.48 0 25.4 1.275301 1.426601
102 rpp 0 30.48 0 25.4 1.426602 1.532602
103 rpp 0 30.48 0 25.4 1.532603 1.968603
104 rpp 0 30.48 0 25.4 1.968604 2.074604
105 rpp 0 30.48 0 25.4 2.074605 2.225905
106 rpp 0 30.48 0 25.4 2.225906 3.501206
107 rpp 0 30.48 0 25.4 3.501207 4.776507
108 rpp 0 30.48 0 25.4 4.776508 4.927808
109 rpp 0 30.48 0 25.4 4.927809 5.033809
110 rpp 0 30.48 0 25.4 5.03381 5.46981
111 rpp 0 30.48 0 25.4 5.469811 5.575811
112 rpp 0 30.48 0 25.4 5.575812 5.727112
113 rpp 0 30.48 0 25.4 5.727113 7.002413
114 rpp 0 30.48 0 25.4 7.002414 8.277714
115 rpp 0 30.48 0 25.4 8.277715 8.429015
116 rpp 0 30.48 0 25.4 8.429016 8.535016
117 rpp 0 30.48 0 25.4 8.535017 8.971017
118 rpp 0 30.48 0 25.4 8.971018 9.077018
119 rpp 0 30.48 0 25.4 9.077019 9.228319
120 rpp 0 30.48 0 25.4 9.22832 10.50362
121 rpp 0 30.48 0 25.4 10.503621 11.778921
122 rpp 0 30.48 0 25.4 11.778922 11.930222
123 rpp 0 30.48 0 25.4 11.930223 12.036223
124 rpp 0 30.48 0 25.4 12.036224 12.472224
125 rpp 0 30.48 0 25.4 12.472225 12.578225
126 rpp 0 30.48 0 25.4 12.578226 12.729526
127 rpp 0 30.48 0 25.4 12.729527 14.004827
128 rpp 0 30.48 0 25.4 14.004828 15.280128
129 rpp 0 30.48 0 25.4 15.280129 15.431429
130 rpp 0 30.48 0 25.4 15.43143 15.53743
131 rpp 0 30.48 0 25.4 15.537431 15.973431
132 rpp 0 30.48 0 25.4 15.973432 16.079432
133 rpp 0 30.48 0 25.4 16.079433 16.230733
134 rpp 0 30.48 0 25.4 16.230734 17.506034
135 rpp 0 30.48 0 25.4 17.506035 18.781335
136 rpp 0 30.48 0 25.4 18.781336 18.932636
137 rpp 0 30.48 0 25.4 18.932637 19.038637
```

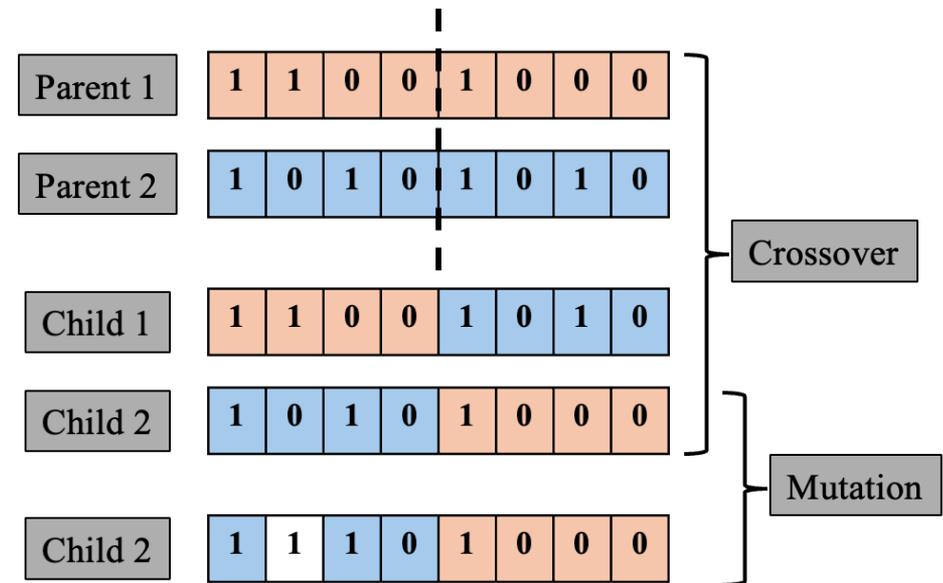
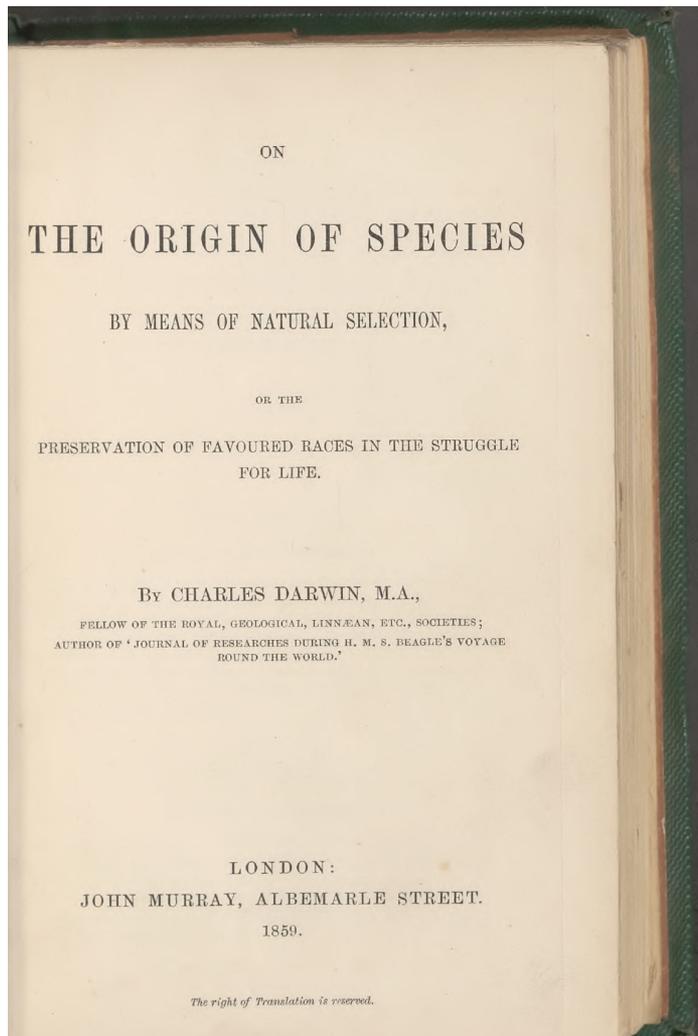
...

```
c
c DATA Cards
c
kcode 1e3 1 100 600
kopts kinetics = yes
ksrc 15.24 12.7 0.913502
15.24 12.7 2.740507
15.24 12.7 4.567512
15.24 12.7 6.394517
15.24 12.7 8.221522
15.24 12.7 10.048527
15.24 12.7 11.875532
15.24 12.7 13.702537
15.24 12.7 15.529542
15.24 12.7 17.356547
15.24 12.7 19.183552
15.24 12.7 21.010557
15.24 12.7 22.837562
15.24 12.7 24.664567
f4:n 3 8 13 18 23 28
33 38 43 48 53
58 63 68 T
E4 0.001 .6 20
KSEN14 XS ISO = 94239.00c RXN = 18 ERG = 0 0.001 .6 20
m11 8016 -0.469474 $ Aluminum Oxide (Al2O3), 3.97 g/cc
8017 -0.00190
8018 -0.001086
13027 -0.529251
```

...



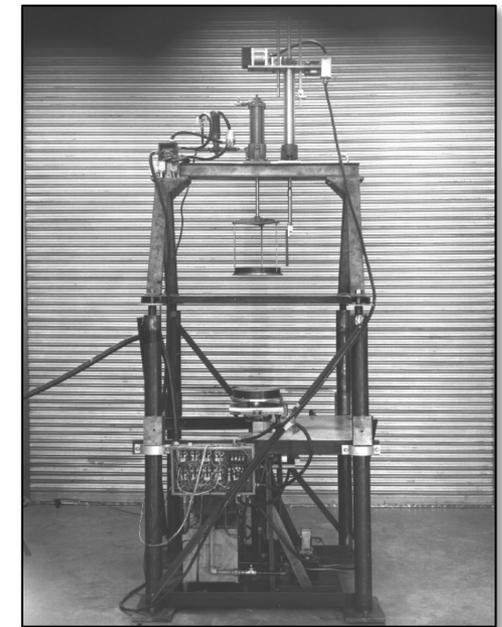
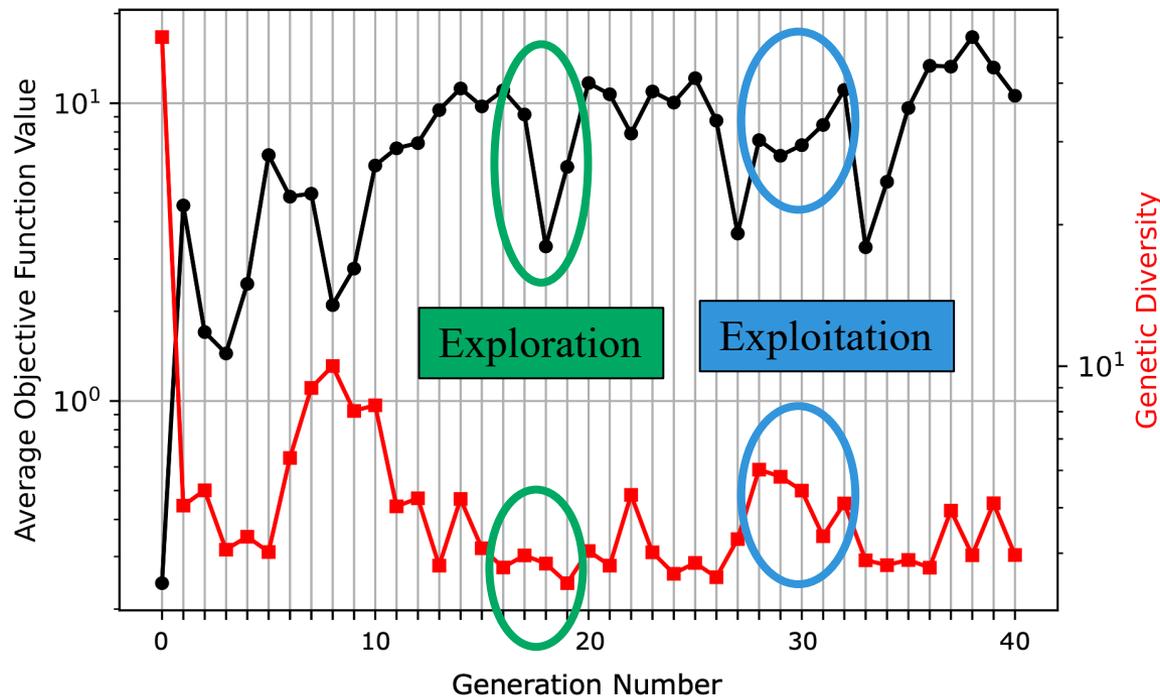
# Genetic Algorithm Background



- Crossover between parents (i.e., experiment designs) is probabilistic – the Wheel of Fortune is an easy way to think about this - larger slices of the Wheel (i.e., higher probability of design getting selected for crossover) based on design “fitness”
- Fitness is determined by an objective function, or figure of merit (FoM)

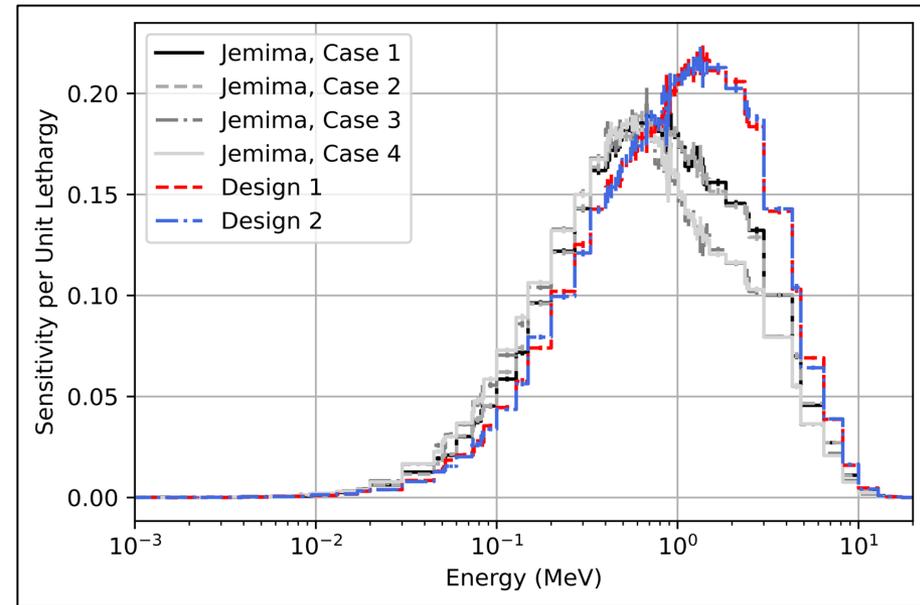
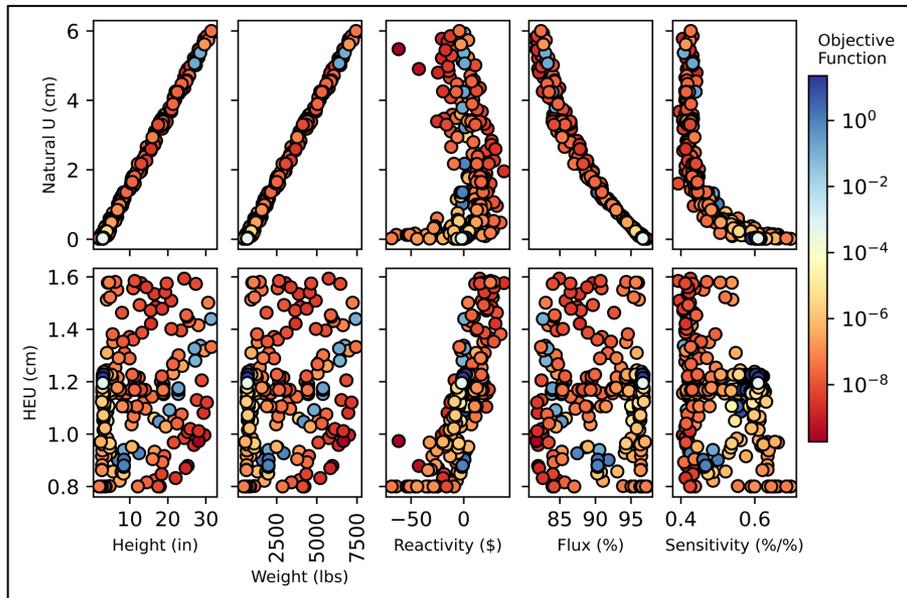
# Verification of Genetic Algorithm

- Verification of the genetic algorithm to converge to global solution
- Two things to test: (1) convergence rate and (2) solution comparison to baseline
- Benchmarked cases of the early Jemima experiments (ICSBEP designation of IEU-MET-FAST-001) were used as a baseline
- Verification goal: converge to solution that shows similar performance to or outperforms baseline set based on calculated FoM



The Jemima experiment (1953)

# Verification of Genetic Algorithm



$$\text{FoM} = \frac{f(\rho) \cdot I \cdot \int_{1\text{keV}}^{600\text{keV}} S_{k,^{239}\text{Pu}(n,f)} dE}{H/39.3701 \cdot W/2000}$$

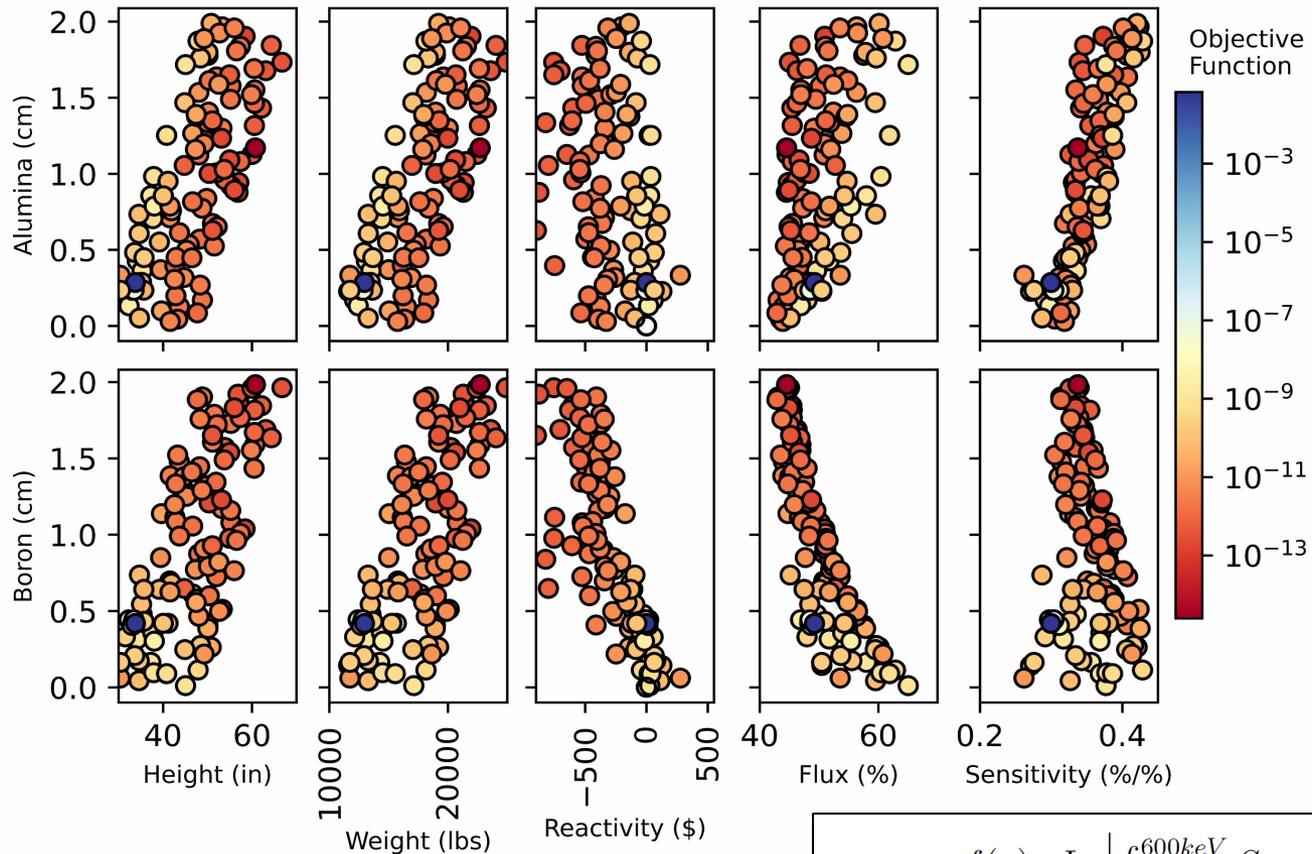
$$f(\rho) = \begin{cases} -0.2(\rho - 0.4)^2 + 1, & -1.836 < \rho < 2.636 \\ 10^{-6} | -0.2(\rho - 0.4)^2 + 1 |^{-1}, & \text{otherwise.} \end{cases}$$

$I$  = intermediate-energy  
 neutron flux fraction  
 $H$  = total assembly height  
 $W$  = total assembly weight  
 $\rho$  = reactivity  
 $S_{k,\sigma}$  = sensitivity of the  
 neutron multiplication factor  
 $k$  to nuclear data  $\sigma$

# PARADIGM Optimized Experiment Design

- Optimized experiment design for designs with and without a reflector
- Results shown for 1 of the 3 final optimized experiment designs with copper reflector:
  - (1) Alumina, Graphite, Boron, Zero Power Physics Reactor (ZPPR) Plutonium Aluminum No-Nickel (PANN) plates, Boron, Graphite, Alumina
  - (2) Alumina, Graphite, ZPPR Plates, Graphite, Alumina
  - (3) Alumina, Boron, ZPPR Plates, Boron, Alumina**
- 14 total units on Comet assembly machine
- ZPPR plates were arranged in 4x5 array (i.e., 25.40 cm by 30.48 cm) – set to the same dimensions of the Chlorine Worth Study (CWS) experiment fuel configuration
- 30 cm uniform copper reflector, which is similar to outer dimensions of ZEUS copper reflector

# PARADIGM Optimized Experiment Design

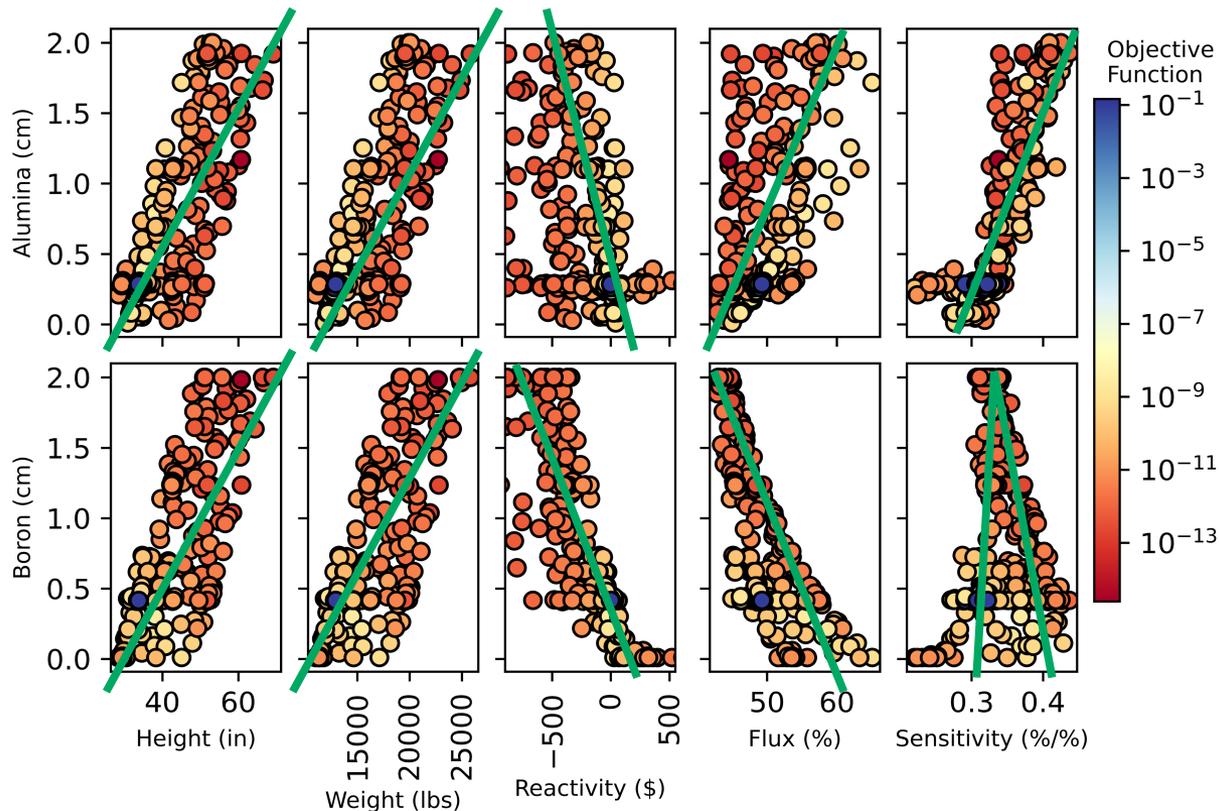


$$\text{FoM} = \frac{f(\rho) \cdot I \cdot \left| \int_{1\text{keV}}^{600\text{keV}} S_{k,239\text{Pu}(n,f)} dE \right|}{H/39.3701 \cdot W/10^4}$$

$$f(\rho) = \begin{cases} -0.2(\rho - 0.4)^2 + 1, & -1.836 < \rho < 2.636 \\ 10^{-6} \left| -0.2(\rho - 0.4)^2 + 1 \right|^{-1}, & \text{otherwise.} \end{cases}$$

# PARADIGM Optimized Experiment Design

- Obvious trendlines – trendline for Boron with respect to sensitivity shows inflection
- Designs with highest objective function values are too heavy – need expert-in-the-loop for final design considerations



# Conclusions

- Optimized 3 experiment designs (14 units) with copper reflector:
  - (1) Alumina, Graphite, Boron, Zero Power Physics Reactor (ZPPR) Plutonium Aluminum No-Nickel (PANN) plates, Boron, Graphite, Alumina
  - (2) Alumina, Graphite, ZPPR Plates, Graphite, Alumina
  - (3) Alumina, Boron, ZPPR Plates, Boron, Alumina (**shown in this presentation**)
- Optimized experiment designs for all 3 configurations have heights and weights that exceed the Comet assembly machine operational safety limitations; therefore, **final experiment design analysis is needed** before procurement of parts
- Additional detail is needed for high fidelity design – see P. Brain et al., “Impact of Higher Fidelity Design Iterations on Critical System Criteria” 2024 MCNP User Symposium presentation
- **Optimization algorithms**, such as the genetic algorithm used in this work, Gaussian process, or particle swarm optimization (PSO) **should be used in place of traditional iterative methods to save both time and effort**
- Objective function could be revisited to include similarity (e.g., correlation coefficient) and/or nuclear data-induced uncertainty for more targeted design
- Genetic algorithm could include material ordering and material selection in future optimization runs

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